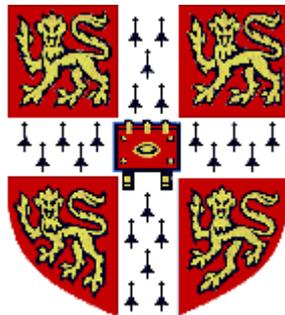


Edge Landmarks in Monocular SLAM

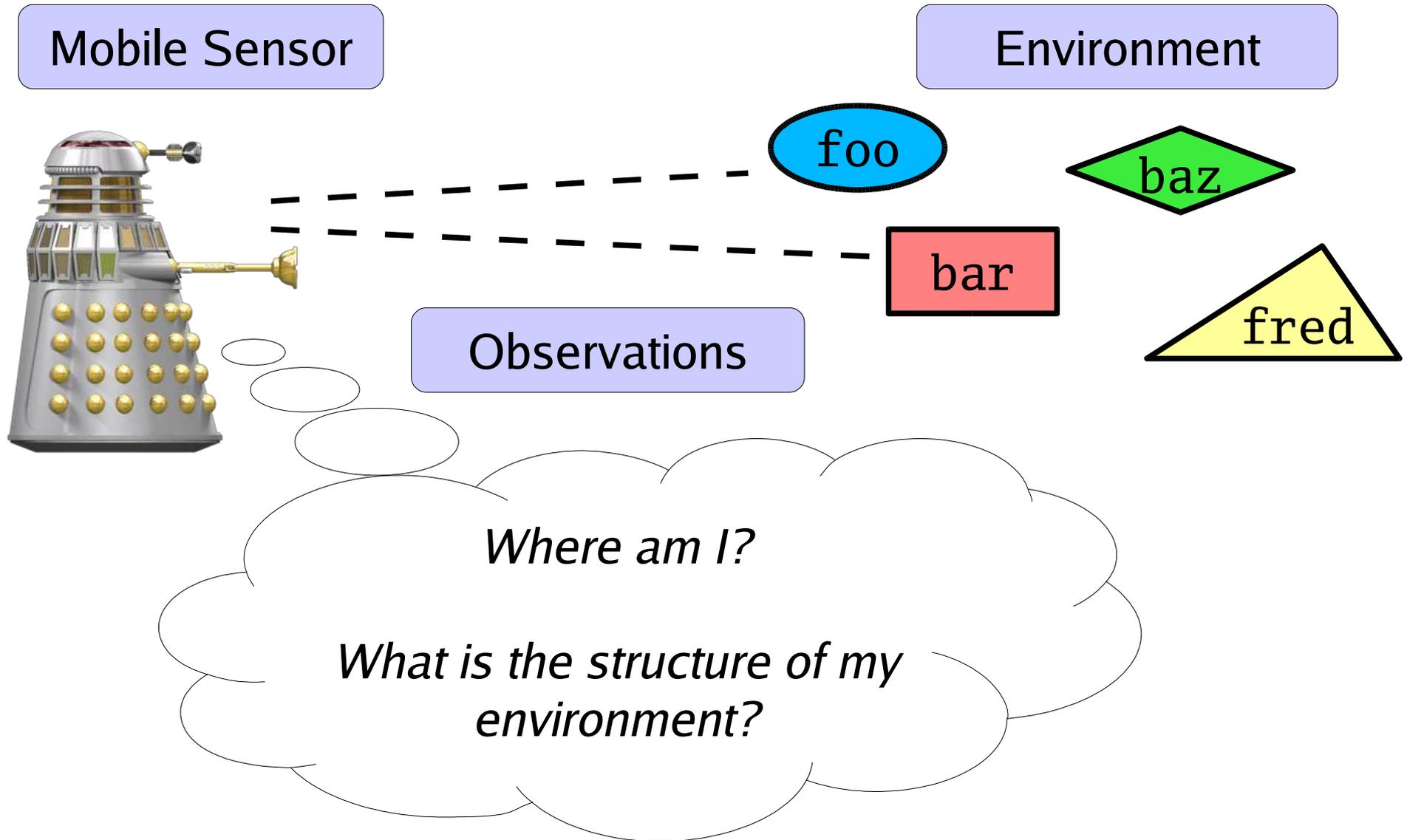
Ethan Eade
Dr. Tom Drummond

Machine Intelligence Laboratory
Cambridge University
ee231@eng.cam.ac.uk

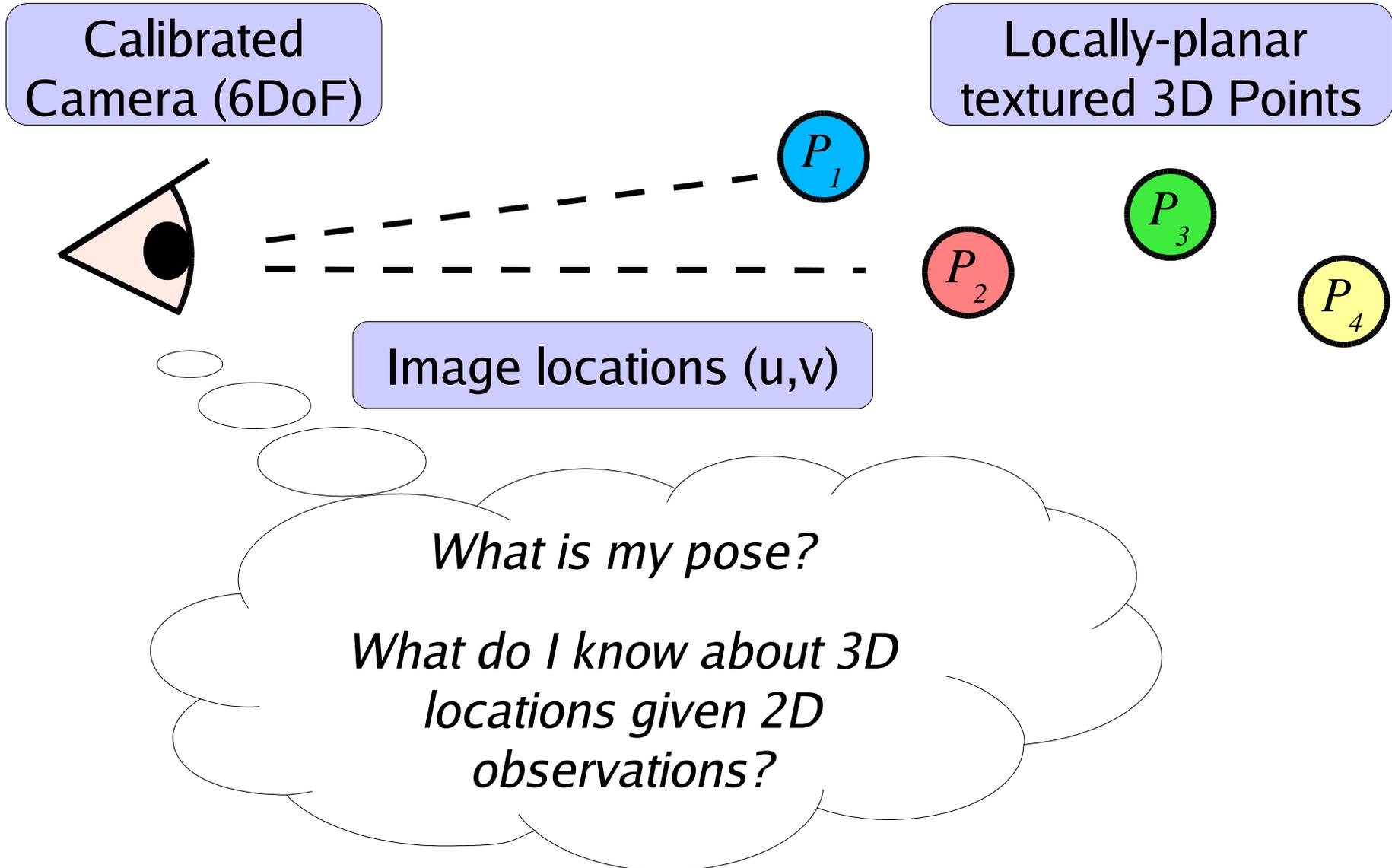


Simultaneous Localisation And Mapping

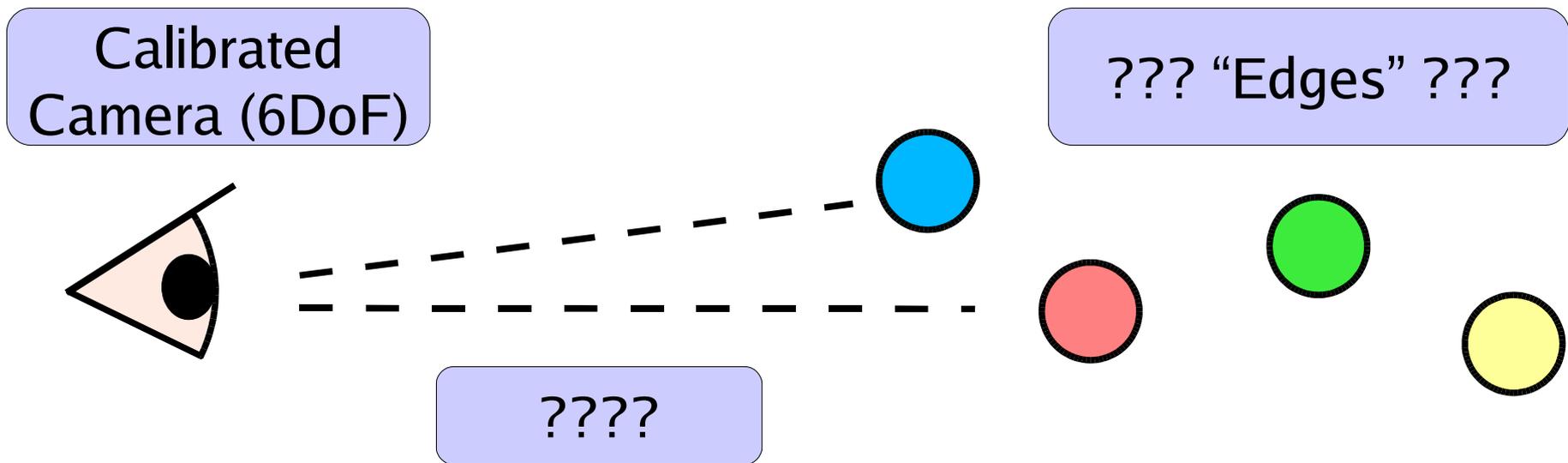
The One-Slide Version



Monocular SLAM with Points



Monocular SLAM with Edges



What is an edge in the world?

What is an edge in the image?

How should we {select | parametrise | observe | estimate} edges?

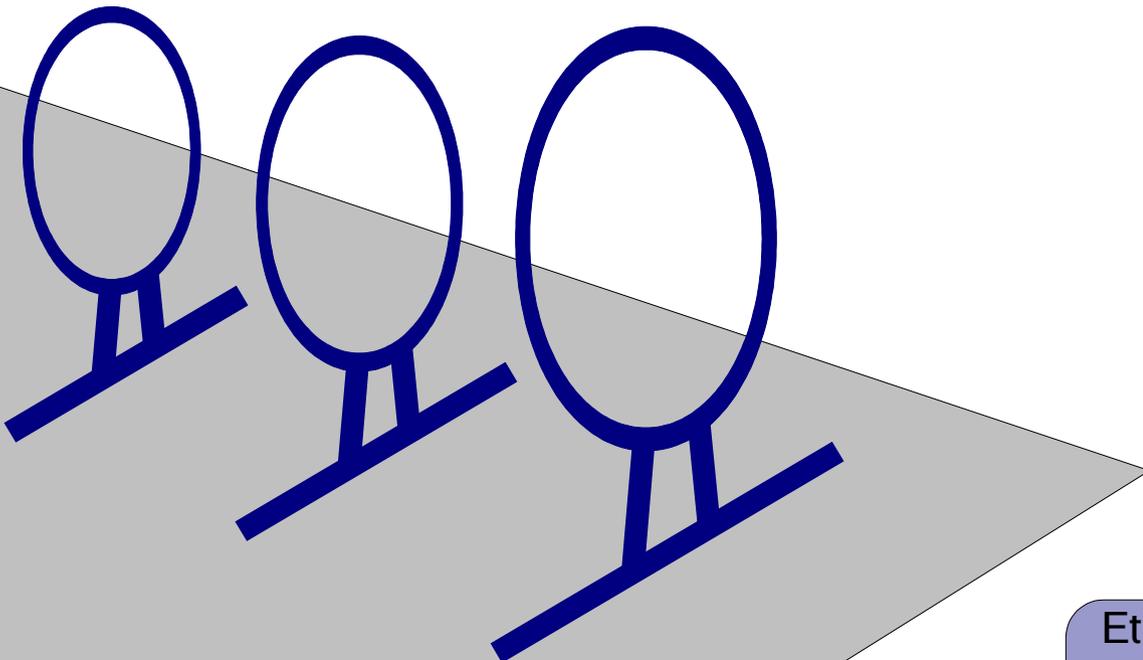
Monocular SLAM with Edges

Required

- Definition
- Representation
- Observation
- Selection
- Initialisation

Why Bother?

- Build a richer map
- Depend less on textured environment
- Benefit from more information



Monocular SLAM with Edges

Required

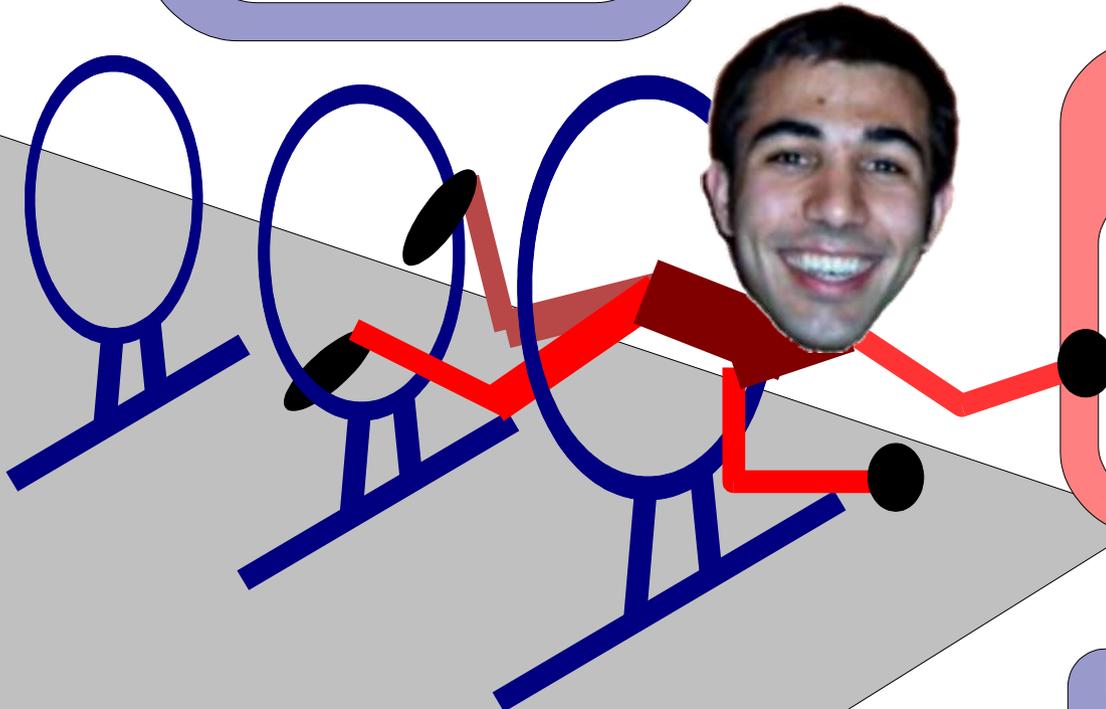
- Definition
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Contributions

Define *edgelets*; show how to represent, observe, select, and initialise them



Monocular SLAM with Edges

Required

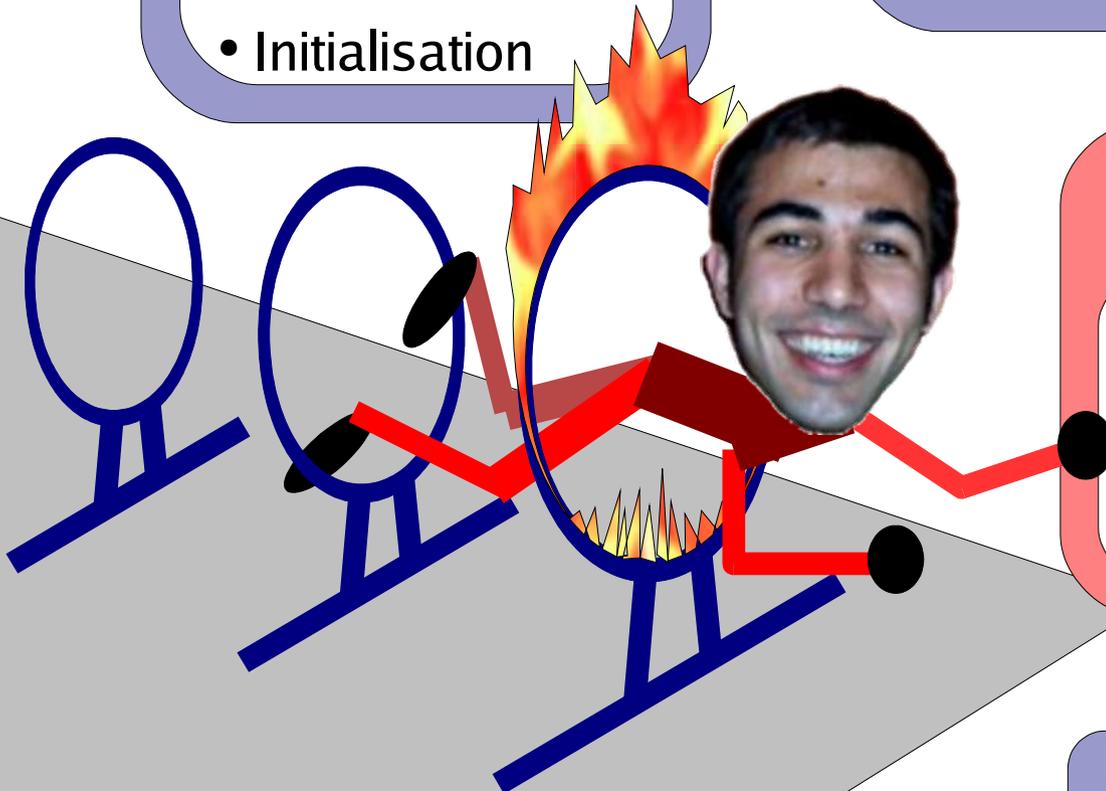
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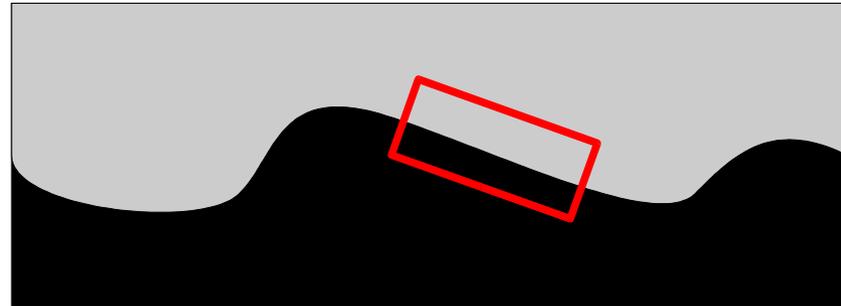
Define *edgelets*; show how to represent, observe, select, and initialise them



Definition

edgelet:

A locally-straight piece of 1D structure that appears as an intensity change.



An edgelet...

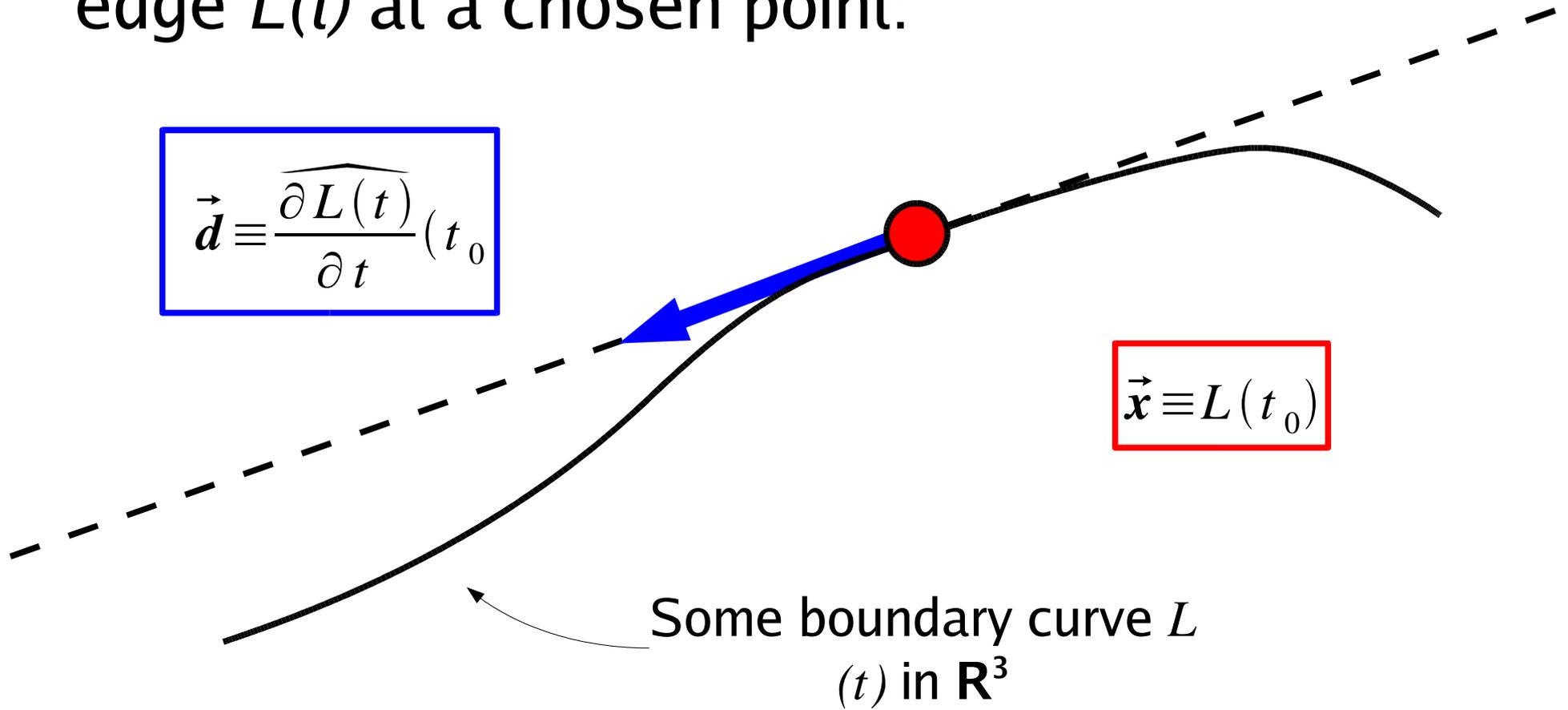
- might be part of a longer straight segment
- might be part of a longer, slowly curving or piecewise-straight segment
- appears as a short straight edge in images
- is more than an edgel

Representation

An edgelet describes the derivative of the 3D edge $L(t)$ at a chosen point:

$$\vec{d} \equiv \widehat{\frac{\partial L(t)}{\partial t}}(t_0)$$

$$\vec{x} \equiv L(t_0)$$



This Slide is Boring but Important

Point

Locally planar structure

3D state: point

2D texture

2D observations
(image point)

Distinctive, rich descriptor

Edgelet

Locally linear structure

5D state: point, direction

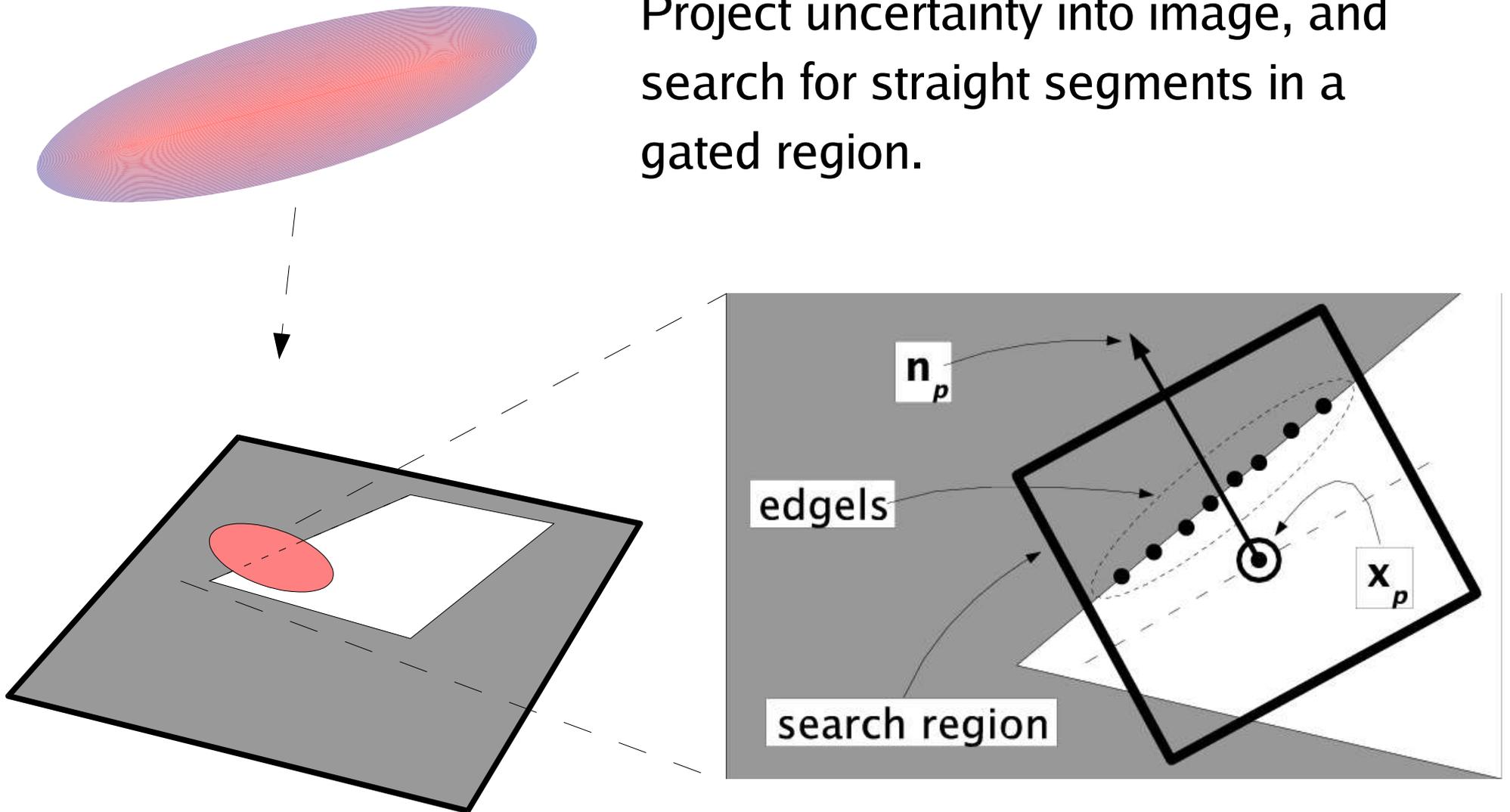
1D intensity change

2D observations
(image line)

1-bit descriptor

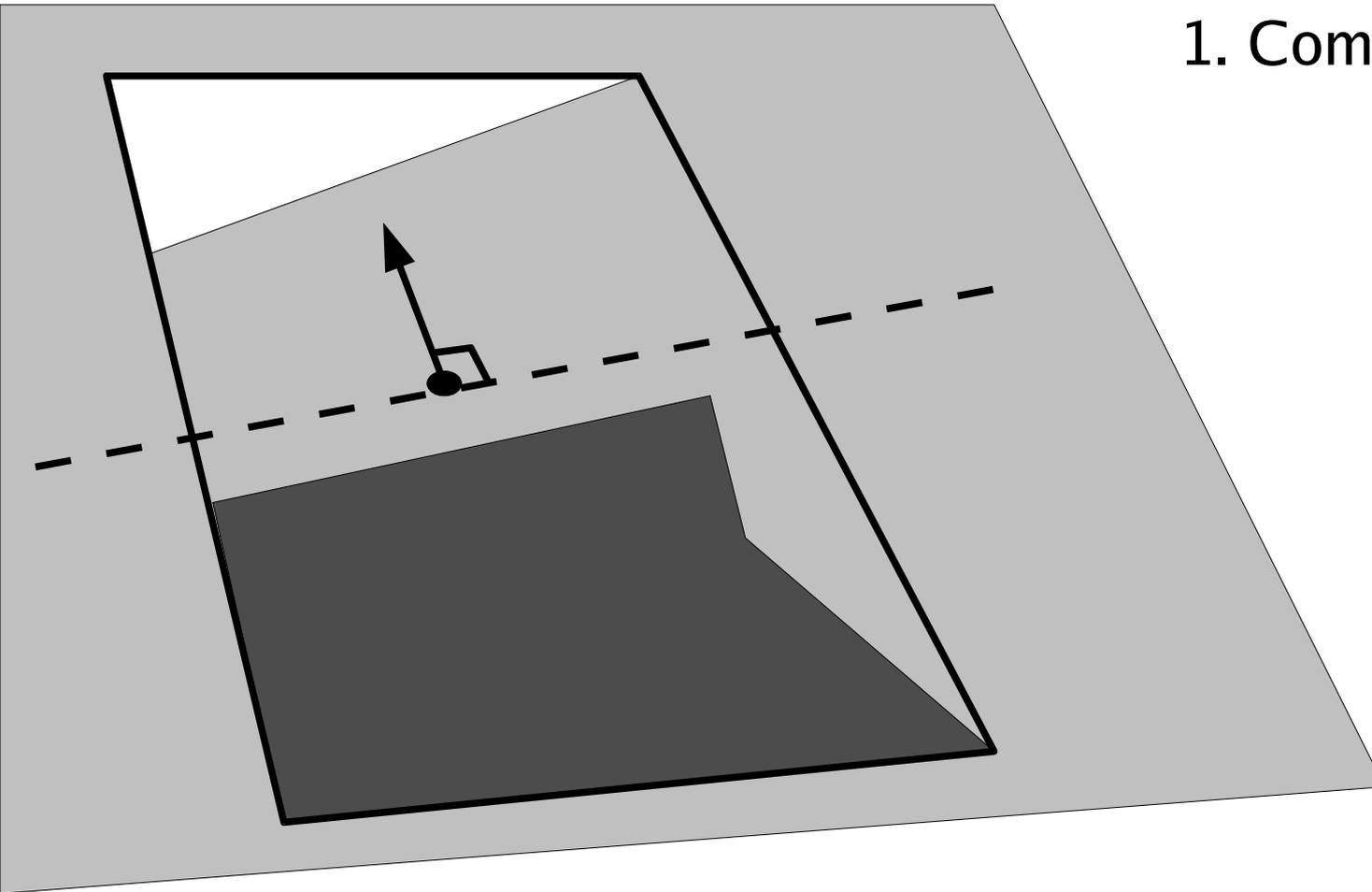
Observation

Project uncertainty into image, and search for straight segments in a gated region.

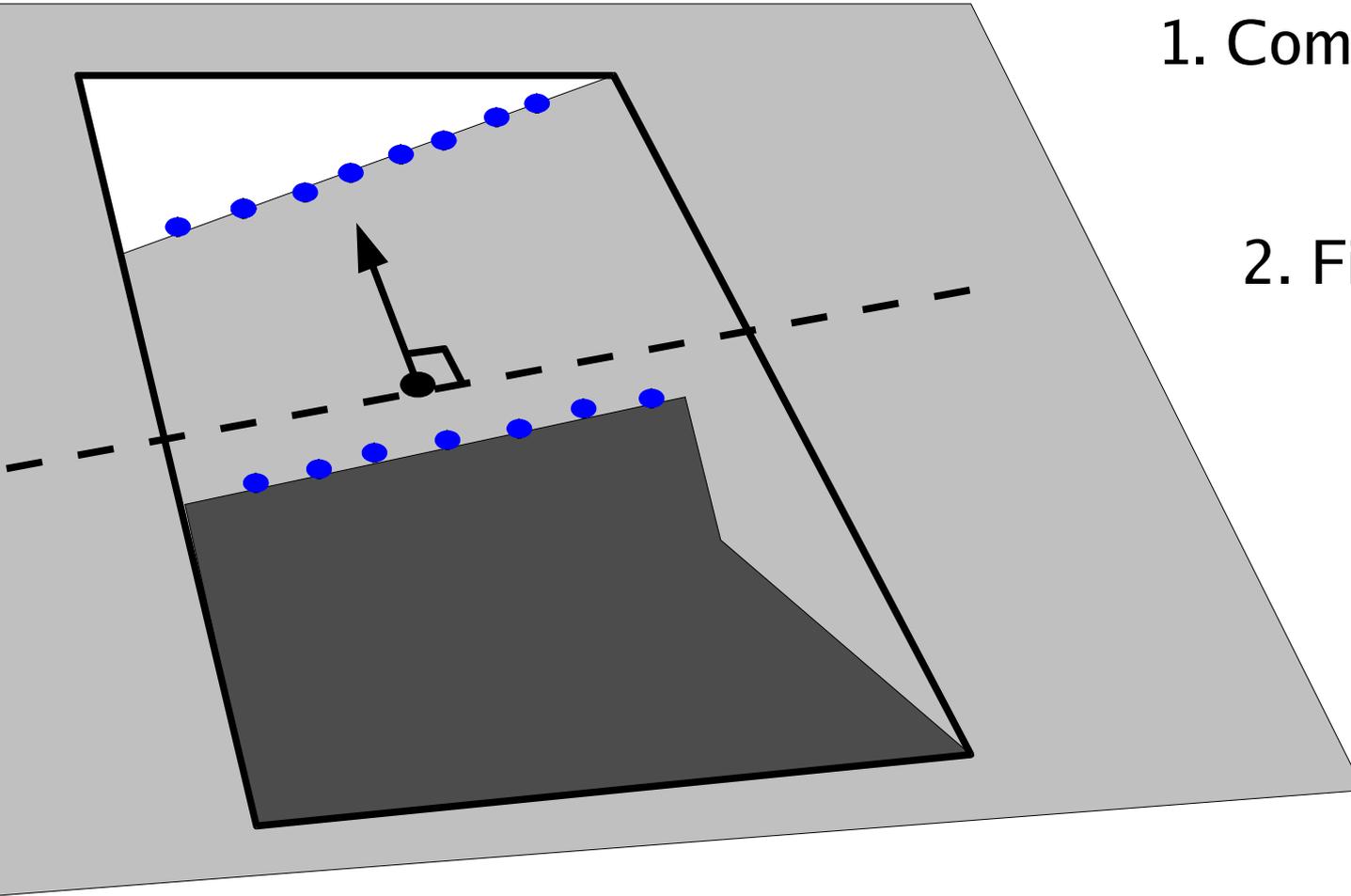


Observation

1. Compute search region and direction

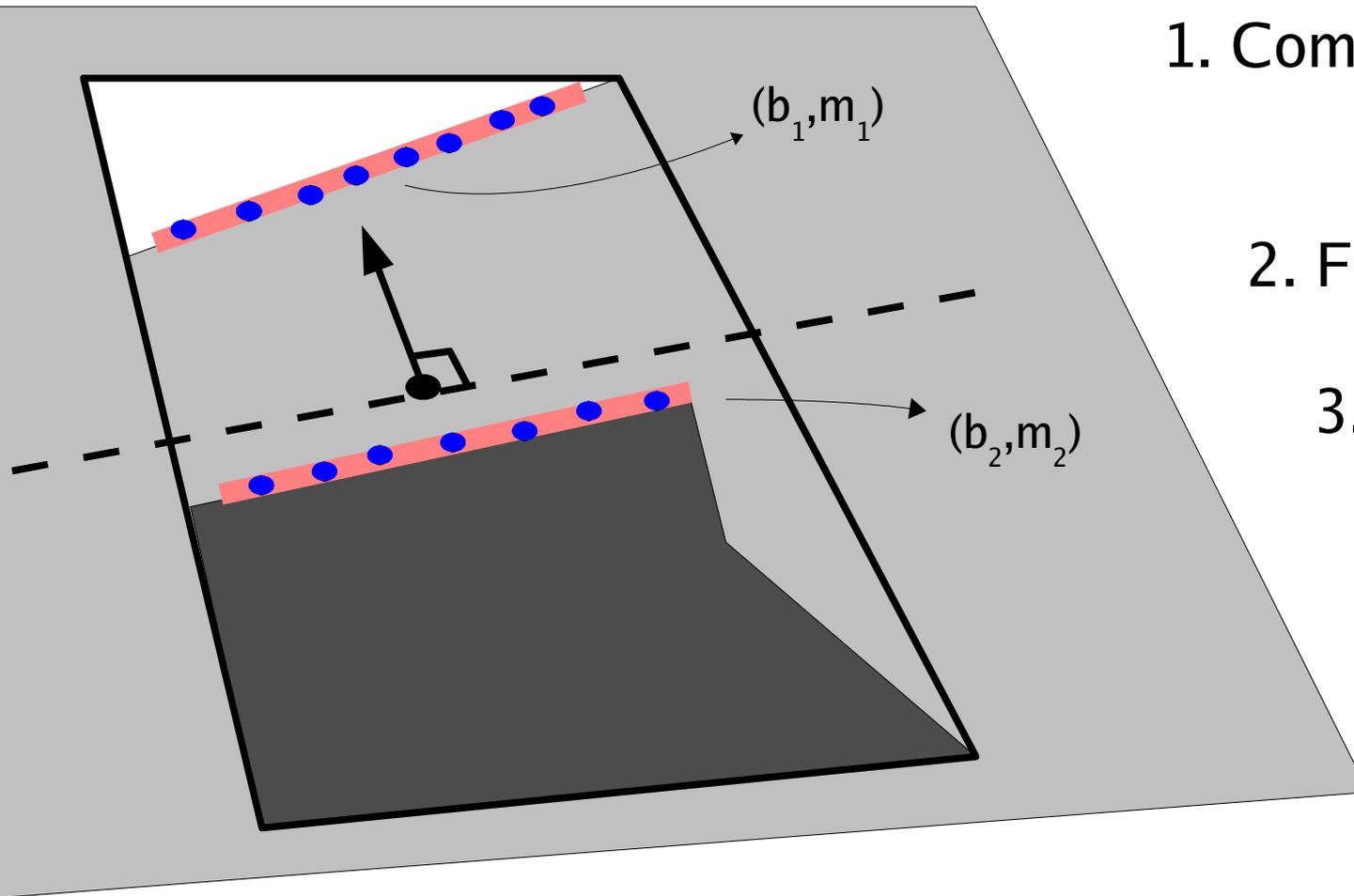


Observation



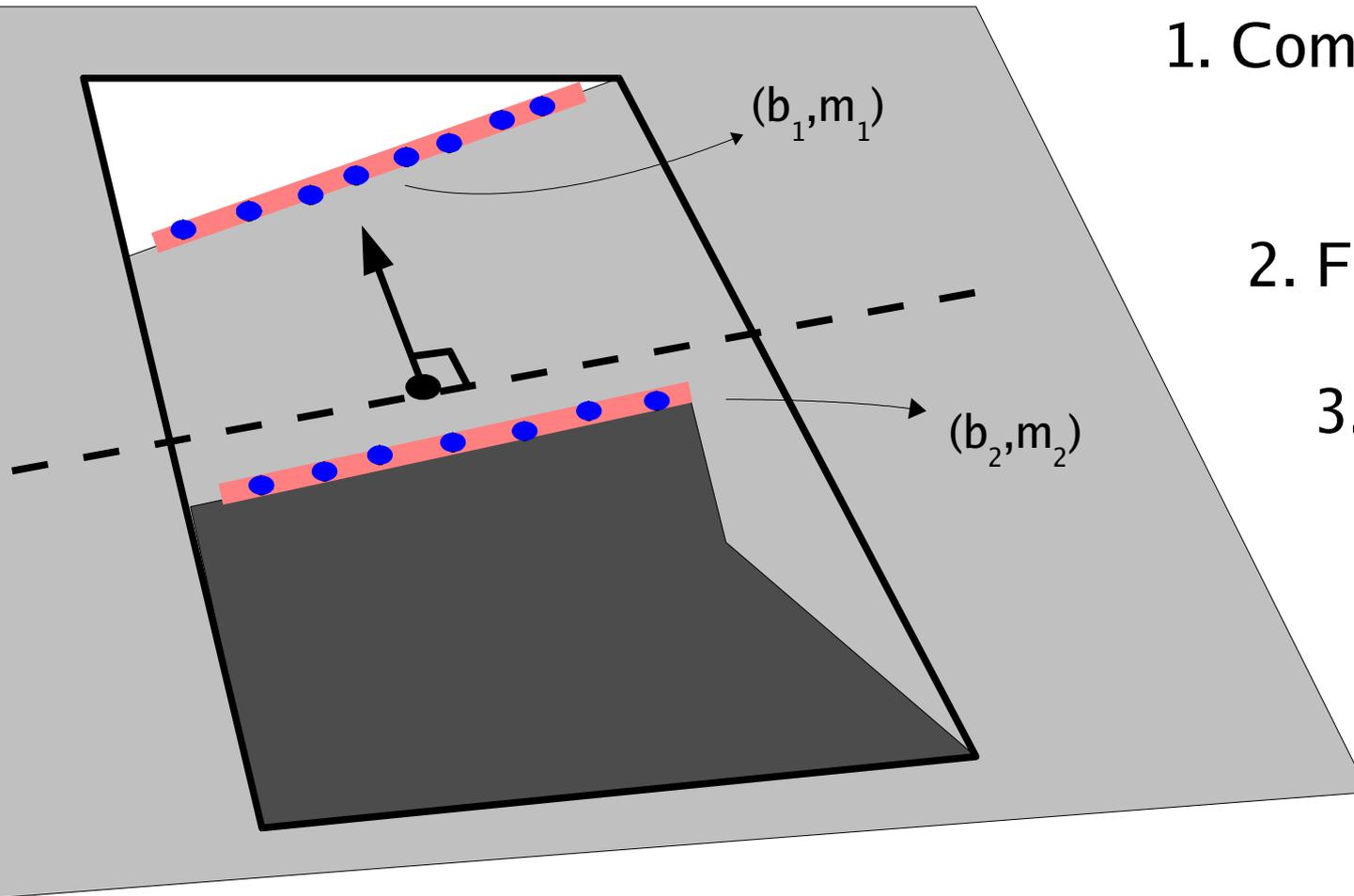
1. Compute search region and direction
2. Find edgels in region

Observation



1. Compute search region and direction
2. Find edgels in region
3. Group edgels into straight segments

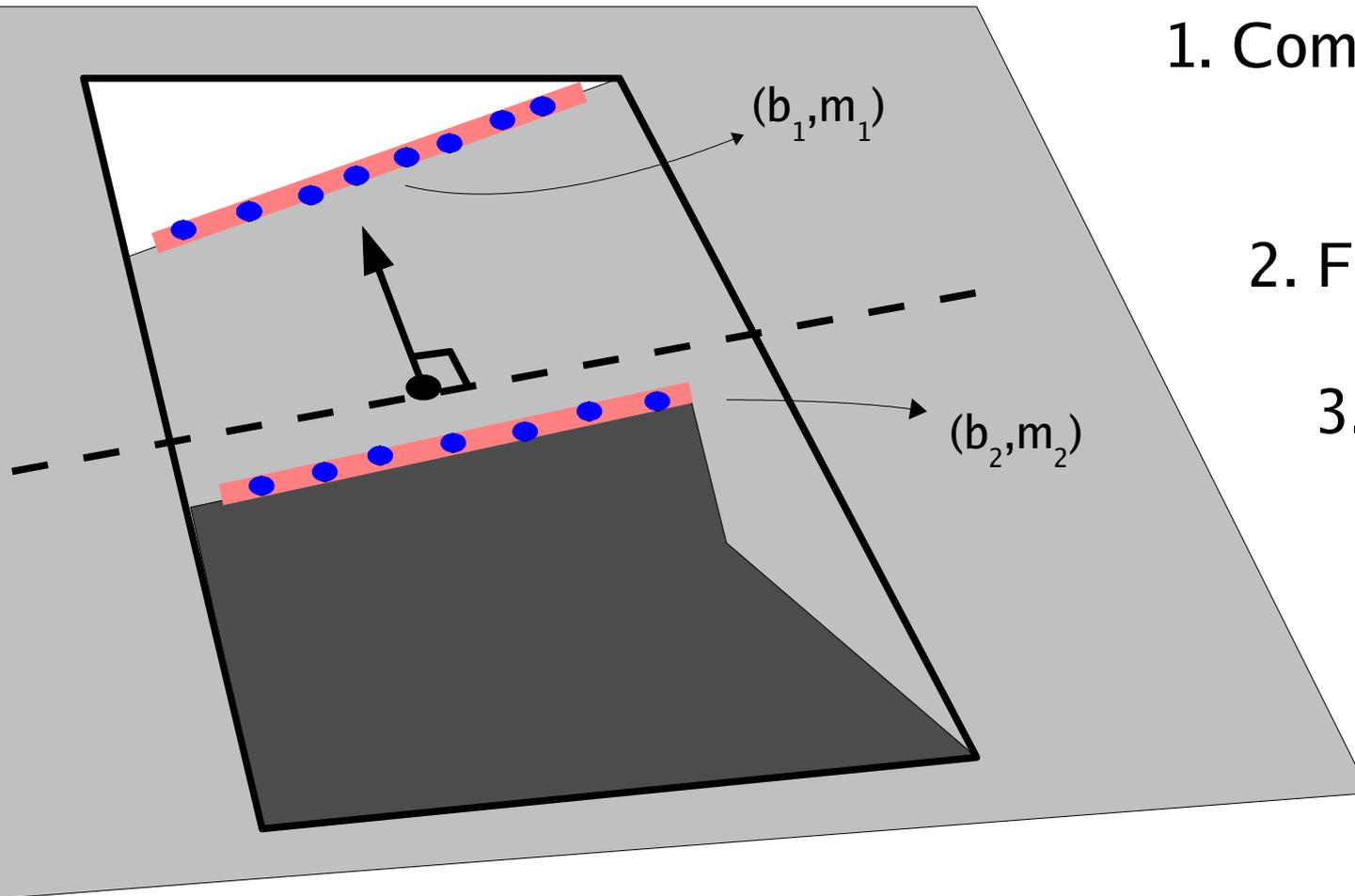
Observation



1. Compute search region and direction
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3. Group edgels into straight segments

Multiple possible matches

Observation



1. Compute search region and direction
2. Find edgels in region
3. Group edgels into straight segments

Multiple possible matches

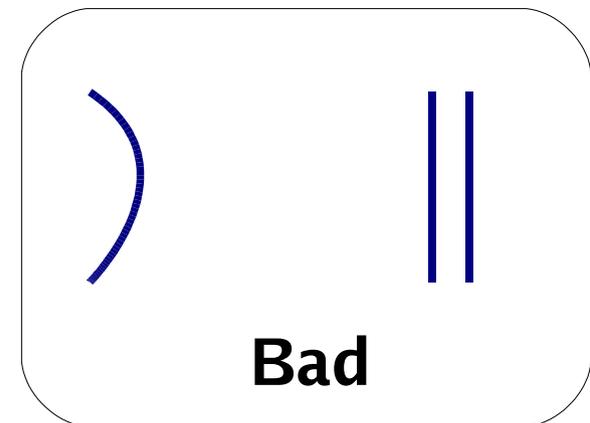
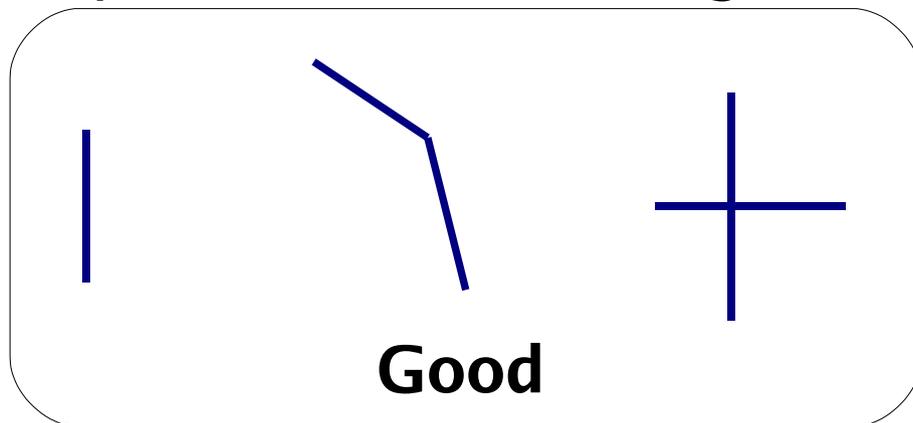
Collect all observations each frame and find the maximum-likelihood data association using MLESAC

Selection: Finding new Edgelets

Data association is not straightforward for edgelets. How can we make our job easier?

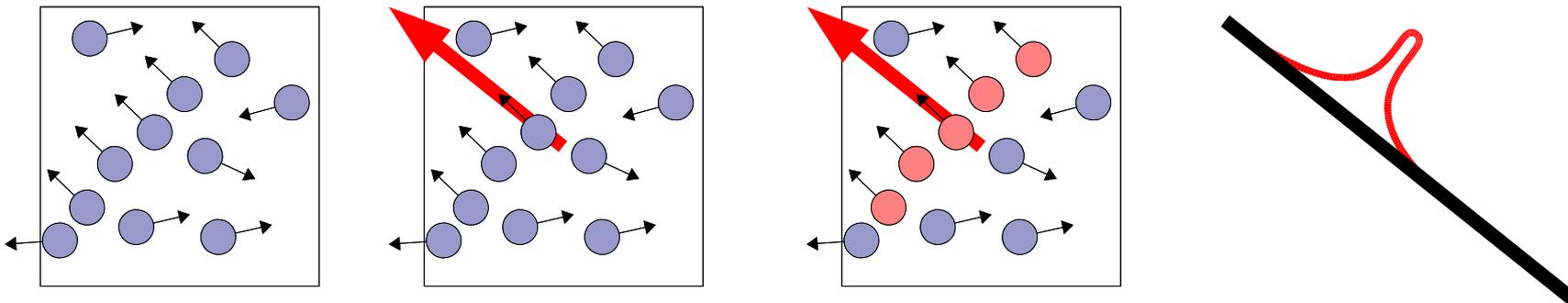
We want short edge segments that are

- straight
- separated from other segments of similar orientation



Selection: Finding new Edgelets

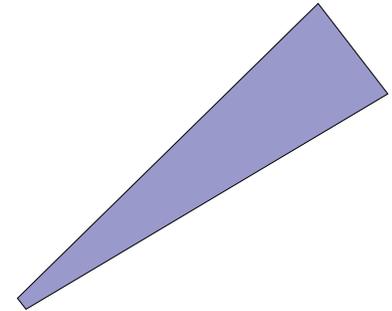
1. Find Canny-like edgels (no linking)
2. Divide the edgels with a grid.
For each cell:
 - a) Find the dominant gradient direction d
 - b) Find edgels in agreement with d
 - c) Threshold on variance of position in direction d



Initialisation of New Edgelets

- Highly non-Gaussian distributions in Cartesian coordinates

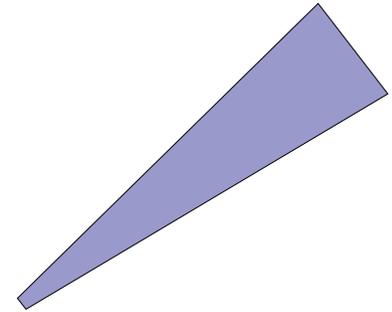
$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} \quad \begin{pmatrix} dx \\ dy \\ dz \end{pmatrix}$$



Initialisation of New Edgelets

- Highly non-Gaussian distributions in Cartesian coordinates

$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} \quad \begin{pmatrix} dx \\ dy \\ dz \end{pmatrix}$$



- Inverse-depth coordinates make the observation model nearly linear...

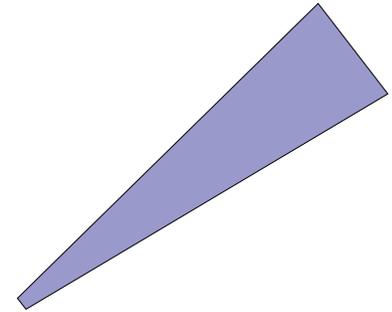
$$\begin{pmatrix} u \\ v \\ q \equiv \frac{1}{z} \end{pmatrix} \quad \begin{pmatrix} du \\ dv \\ dq \end{pmatrix}$$

$$C_0 \equiv (R_0, T_0)$$

Initialisation of New Edgelets

- Highly non-Gaussian distributions in Cartesian coordinates

$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} \quad \begin{pmatrix} dx \\ dy \\ dz \end{pmatrix}$$

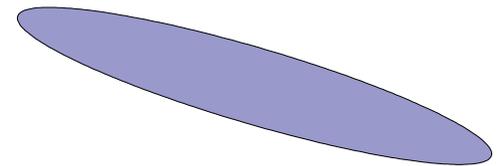


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$$\begin{pmatrix} u \\ v \\ q \equiv \frac{1}{z} \end{pmatrix} \quad \begin{pmatrix} du \\ dv \\ dq \end{pmatrix}$$

$$C_0 \equiv (R_0, T_0)$$

- ... so the estimate is better represented by a Gaussian.

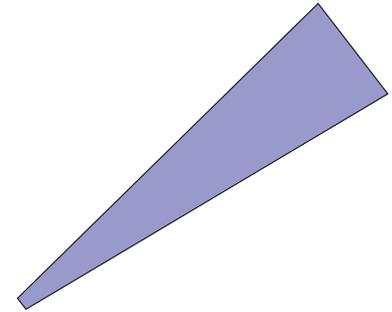


Problem solved.

Initialisation of New Edgelets

- Highly non-Gaussian distributions in Cartesian coordinates

$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} \quad \begin{pmatrix} dx \\ dy \\ dz \end{pmatrix}$$

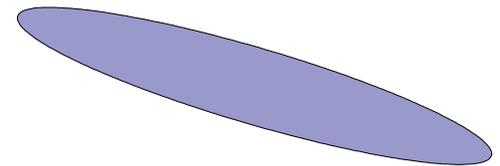


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- ... so the estimate is better represented by a Gaussian.



Problem solved.

This is a fib

The author demonstrates
~~failure modes of~~
the system

Thank you



Life-cycle of an Edgelet

